- complementation
 - complement 2 genes/mutations complement when one provides something that the other doesn't have
 - **complementation group** things that don't complement each other
 - dominant mutations don't go into a complementation group
 - complementation tests can see if mutation is in the same gene or not if it isn't in the same gene, then mutations complement each other and produce WT. if in the same gene, then they don't complement.
- **auxotroph** something that requires something on the outside to survive
- codominance when two parents hybrid together
- insert bayes' theorem in here for pedigree qs

$$P(A \mid B) = rac{P(B \mid A)P(A)}{P(B)}$$

- test cross cross to a homozygous recessive
- homologues 2 copies of a chromosome (one from mom, one from dad)
- meiosis -
 - chromosome nondisjunction aberrant segregation of chromosomes
 - doesn't split evenly (either stage of meiosis)
 - linkage
 - unlinked parentals = recombinants
 - weakly linked parentals > recombinants
 - tightly linked parentals > > recombinants, maybe 0 recombs
 - map distance = 100 * #recomb/#gametes
- Experiments relating to gene linkage
 - cross heterozygotes w/ recessive track # recombinants (3 factor cross)
 - use double recombinant #s
 - tetrads
 - 4 spores (4 haplotypes) = tetrad
 - parental ditypes spores (only parental combos) AB/ab
 - tetratype spores (all 4 combos) AB/ab/aB/Ab
 - NPD 2, 2 of aB / Ab
 - tightly = distance = 100 * T/2 * #total tetrads
 - weakly = 100 * (T + 6NPD/2 * #total tetrads)
 - experiment cross two strains where each has one mutation -
 - expect PD none can grow
 - NPD half can grow
 - T 1/4 can grow
- LOD good luck lol

recombinant inbred mice

- want a strain, but w a specific mutation?
 - continuously breed w/ desired strain, and select ones who have the mutation.
- **QTL** identify minor contributors
- probability with regards to ORF's
 - $\circ \quad p(stop) = 3/64 \text{ or } p(stop) = p(UAA) + p(UAG) + p(UGA)$
 - \circ prob of exactly n length ORF: $p(ORF) = (1 p(stop))^n * p(stop)$
 - \circ prob of at least n length ORF: $p(ORF) = (1 p(stop))^n$

enome *
$$\frac{3}{64}$$
 * 6 * $p(above)$

• # fortuitous ORFs = #codons in genome * $64^{*0*p(a000)}$

mutagens

- \circ $\,$ base analog incorporated into DNA $\,$
- \circ $\,$ base modifying agent repair of DNA damage is error prone
- dna intercalator polycyclic compounds fit between bases. mis-copying by polymerase

GENE MUTATIONS

- \circ $\,$ missense mutation: base change that converts codon into another $\,$
- nonsense mutation: converts a codon into a stop codon
- frameshift: addition or deletion of a base ST sequence is shifted T.T
- screen vs selection: selection kills stuff, screen is look at all, search for a desired phenotype
- suppressor mutation
 - back mutation back to WT
 - intragenic suppressor mutation in same gene that compensates
 - extragenic suppressor compensating mutation in diff gene
 - nonsense suppressor, like in a mutation in the tRNA portion of a ribosome
- transposons (like Tn5)
 - phage reqs:
 - P_{am} P protein w/ nonsense mutation, can't replicate
 - int^- can't integrate
 - going into Su^+ bacteria means that amber mutation is resolved, which is why you need to go into a Su^- strain
 - need Tn5 w/ KanR resistance, which is the only way you're going to integrate something from virus into

TRANSDUCTION - moving mutations from one strain to another.

- experiment
 - infect Tn5+ (Kan-resis) strain w/ phage
 - collect virus, infect w/ Tn5- (Kan-sens) strain

- select w/ kanamycin
- count recombinants
- 3-factor cross -
 - get one that's like phage: Tn5, A-, B+ and infect bacteria w/ /A+, B-
 - and then the opposite Tn5, A+, B- and infect bacteria w/ A-, B+
 - kan resis screen
 - then count recombs, WT in each cross
- cotransduction freq = # w/ phenotype / # resistant
 - higher, the closer

TRANSFORMATION - clone a gene or find a specific protein

- R plasmid, with lots of resistances
- bacteria have M and R
- generating a library
 - E coli, restriction enzyme, mix ligate w/ plasmids, select
 - library generate from mutant into plasmids
 - transform a WT strain w/ plasmids, select
 - Iyse open the ones selected for to identify gene

PLASMID CONJUGATION

- strains
 - F- something w/o a F plasmid
 - F+ something w/ an empty F plasmid
 - F' something w/ an F plasmid w/ something on it
 - Hfr something w/ an F plasmid that was integrated into it
- when x transfers long after everything else: its where the ORI is pointing (transferred when the F plasmid breaks back out)
 - this can help us determine gene location
- \circ Insertion sequences flip things
- reads
 - make a config
 - paired ends indicate they are from the same piece, when repeated element
- sequence alignment
- the graph thing

LINKAGE VS ASSOCIATION

- linkage is the pedigrees
 - bad w/ polygenic traits (not det. by single gene)
 - non-allelic heterogeneity
- association common mutations w/ mild effects
 - complex inheritance
 - large #s

- HW eq
 - $\circ \quad p = f(A/A) + f(A/a)/2$
 - $\circ \quad q = f(a/a) + f(A/a)/2$
 - \circ H_0 locus is at HWE
 - \circ H_{alt} locus is not at HWE
 - assumptions (not happening)
 - assortative mating
 - population is small/shrinks
 - new mutation
 - selection (one allele is more favorable)
- mutation
 - once that happens, yikes
 - auto rec, auto dom, het cases
 - at steady state: $\Delta q_{sel} + \Delta q_{mut} = 0$
- INBREEDING
 - F = inbreeding coefficient, if parental generation is A1/A2 and A3/A4, what is the chance of target being A1/A1 or something, and then mul 4
 - 1st cousins = 1/16
 - brother-sister mating = 1/4
 - \circ p(affected because of inbreeding) = f(a/a) = F * q
 - p(affected bc of random mating) = q^2

LD/LE - LINKAGE DISEQUILIBRIUM

- you have some variables
 - p(AB), p(aB), p(Ab), p(ab)
 - f(A), f(a), f(B), f(b) sometimes derived from adding above
 - make sure this is like #gametes/#total gametes
 - chi squared by deriving expected multiplying

by

- p(AB) = f(A) * f(B) and so on
- make SURE CHI SQUARED VALUES ARE IN TERMS OF EXPECTED POPULATION, NOT FREQ
- $\square D, D', D_{max}, D_{min}, r, r^2$
- $\square D_n = (1-r)^n D_0$